## LECTURE 2 Using Script Files and Managing Data



Recall that you can perform operations in MATLAB in two ways:

1. In the interactive mode: all commands are entered directly in the Command window, In the script file mode: By running a MATLAB program stored in *script* file. This type of file contains MATLAB commands, so running it is equivalent to typing all the commands—one at a time—at the Command window prompt. You can run the file by typing its name at the Command window prompt.

## In the interactive mode disp can be used to display the value of a variable.

>> abc = [5	9 1	L; '	7 2 4]; (A $2 \times 3$ array is assigned to variable abc.					
>> disp(ab	c)		The	disp	command is used to display the abc array.			
5 7	9 2		1 4		The array is displayed without its name.			

>> disp('The problem has no solution.')

The problem has no solution.

>>

The disp command is used to display a message.

>> x=3.0; >> y=3^x; >> disp(y) 27 Example

>> disp(' And now for something completely different' )

And now for something completely different

Example >> disp('-----');

## input command

The form of the input command is:

```
Example
>> x=input('Enter r=')
```

Enter r=5

x =

5



yr=[1984 1986 19	88 1990 1	992 1994 1996];	The population data is
pop=[127 130 136	5 145 158	178 211];	entered in two row vectors.
<pre>tableYP(:,1)=yr'</pre>	; (yri	is entered as the first	column in the array tableYP.
<pre>tableYP(:,2)=pop</pre>	, pop is	entered as the secon	nd column in the array tableYP.
disp('	YEAR	POPULATION')	Display heading (first line).
disp('		(MILLIONS)')	Display heading (second line).
disp(' ')			Display an empty line.
<pre>disp(tableYP)</pre>		(	Display the array table YP.

When this script file (saved as PopTable) is executed, the display in the Command Window is:

>> PopTable		
YEAR	POPULATION (MILLIONS)	Headings are displayed. An empty line is displayed.
1984	127	
1986	130	
1988	136	The tableYP array is displayed.
1990	145	
1992	158	
1994	178	
1996	211	

## Input command can also be used to assign a string to a variable

variable\_name = input('prompt message', 's')

where the 's' inside the command defines the characters that will be entered as a string. >> name=input('What is your name ? ', 's') What is your name? Hakan name = Hakan >> name Hakan

## fprintf command

The fprintf command can be used to display output (text and data) on the screen or to save it to file.The output can be formatted.

#### Using the fprintf command to display text:

To display text, the fprintf command has the form:

fprintf('text typed in as a string')

>> fprintf('The problem has no solution n')

This is displayed on the screen. The  $\n$  starts a new line.

The problem has no solution

# With the fprintf command it is possible to start a new line in the middle of a string.

fprintf('The problem, as entered, has no solution.\nPlease
check the input data.')

When this line executes, the display in the Command Window is:

The problem, as entered, has no solution. Please check the input data.

## Using the fprintf command to display a mix of text and numerical data

To display a mix of text and a number (value of a variable), the fprintf command has the form:





The formatting elements are:



The flag, which is optional, can be one of the following three characters:

#### <u>Character used</u> <u>for flag</u>

0 (zero)

#### Description

– (minus sign)

- Left-justifies the number within the field
- + (plus sign) Prints a sign character (+ or –) in front of the number.
  - Adds zeros if the number is shorter than the field.

The last element in the formatting elements, which is required, is the conversion character, which specifies the notation in which the number is displayed. Some of the common notations are:

- e Exponential notation using lower-case e (e.g., 1.709098e+001).
- E Exponential notation using upper-case E (e.g., 1.709098E+001).
- f Fixed-point notation (e.g., 17.090980).
- g The shorter of e or f notations.
- G The shorter of E or f notations.
- i Integer

## Example

% This script file calculates the average points scored in three games. % The values are assigned to the variables by using the input command. % The fprintf command is used to display the output. game(1) = input('Enter the points scored in the first game '); game(2) = input('Enter the points scored in the second game '); game(3) = input('Enter the points scored in the third game '); ave points = mean(game);



Solution save the file as game.m

Enter the points scored in the first game 75 Enter the points scored in the second game 60 Enter the points scored in the third game 81

An average of 72.000000 points was scored in the three games.

>>

The display generated by the fprintf command combines text and a number (value of a variable).

The fprintf command is vectorized. This means that when a variable that is a vector or a matrix is included in the command, the command repeats itself until all the elements are displayed. If the variable is a matrix, the data is used column by column.

### Example:

Create a 2x5 matrix T in which the first row contains numbers 1 through 5 and the second row shows the corresponding square roots

x=1:5;Create a vector x.y=sqrt(x);Create 2 × 5 matrix T, first row is x, second row is y.T=[x; y]Create 2 × 5 matrix T, first row is x, second row is y.fprintf('If the number is: %i, its square root is: %f\n',T)The fprintf command displays two numbers from T in every line.

Save it as table.m

T =				
	0000 3.0 4142 1.7		5.0000 2.2361	The $2 \times 5$ matrix T.
1.0000 1.4	4142 1.7	321 2.0000	2.2301	
If the number is:	: 1, its sq	ware root is:	1.000000	The fprintf
If the number is:	: 2, its sq	uare root is:	1.414214	command repeats
If the number is:	-			five times, using
	. 0, 103 34	unic 1000 13.	11/02/01	the numbers from
If the number is:	: 4, its sq	ware root is:	2.000000	the matrix T col-
If the number is:	: 5, its sq	uare root is:	2.236068	umn after column.

## Using the fprintf command to save output to a file

Writing output to a file requires three steps:

- a) Opening a file using the fopen command.
- *b*) Writing the output to the open file using the fprintf command.
- c) Closing the file using the folose command.

#### Step a:

Before data can be written to a file, the file must be opened. This is done with the fopen command, which creates a new file or opens an existing file. The fopen command has the form:

#### fid=fopen('file\_name', 'permission')

fid is a variable called the file identifier. A scalar value is assigned to fid when fopen is executed. The file name is written (including its extension) within single quotes as a string. The permission is a code (also written as a string) that tells how the file is opened. Some of the more common permission codes are:

- 'r' Open file for reading (default).
- `w' Open file for writing. If the file already exists, its content is deleted. If the file does not exist, a new file is created.
- 'a' Same as 'w', except that if the file exists the written data is appended to the end of the file.
- 'r+' Open file for reading and writing.
- 'w+' Open file for writing and writing. If the file already exists, its content is deleted. If the file does not exists, a new file is created.
- 'a+' Same as 'w+', except that if the file exists the written data is appended to the end of the file.

If a permission code is not included in the command, the file opens with the default code r'. Additional permission codes are described in the help menu.

Once the file is open ,the fprintf command can be used to write output to the file.The variable fid is inserted inside the command.fprintf command has the form.



#### Step c:

When the writing of data to the file is complete, the file is closed using the fclose command. The fclose command has the form:

fclose(fid)

## Example

• We need a conversion table from pound force  $(lb_f)$  to Newton (N).

□ 1 Newton =4.448 pound force

Newton is a force unit in SI system
Pound force is force unit in English system
Write script file and save it as conversion.m

% Conversion table from pound force to Newton % FN-force in Newton(N) % Flbf-force in pound force(lbf) Flbf=200:200:2000; FN=4.448\*Flbf; TABLE=[Flbf;FN]; fid1=fopen('FlbftoFN.txt','w') fprintf(fid1,'Force Conversion Table n n'; fprintf(fid1, ' Poundforce Newtons n'); fprintf(fid1, '%10.2f %10.2f \n',TABLE) fclose(fid1)

## Example

Compute the capacitance of a parallel plate capacitor with air dielectric is given by  $C = 0.0000088855 \frac{A}{c}$ where C=capacitance in (microfarads) A = area in  $(m^2)$ s=separation distance in (m) Let A=0.43 ( $m^2$ ) and s=0.0005 (m) Write a script file , name the script file CAPACITOR.m and save the result in a file called capacitance.txt.

% Calculation of capacitance of capacitor A=0.43; s=0.005; fid=fopen('capacitance.txt','w'); % calculate the capacitance C=0.000008855\*A/s; % print the result to a file fprintf(fid, 'Capacitance C= $\frac{0}{10.5f}$  \n', C); fclose(fid);

## save and load commands

#### ■ The save command

The save command is used for saving the variables (all or some of them) that are stored in the workspace. The two simplest forms of the save command are:

save file\_name

and

save(`file\_name')

save command can also be used for saving only some of the variables that are in workspace.

 The save command can also be used for saving in ASCII format, which can be read by applications outside MATLAB. Saving in ASCII format is done by adding the argument -ascii in the command (for example, save file\_name

>> clear >> A=magic(3) A = 8 1 6 3 5 7 4 9 2

>> save data.dat A -ascii

>>

## load command

The load command can be used for retrieving variables that were saved with the save command back to the workspace, and for importing data that was created with other applications and saved in ASCII format or in text (.txt) files. Variables that were saved with the save command in .mat files can be retrieved with the command:

or

load('file\_name')

### The load command can be used for retrieving some

of the variables that are in the saved .mat file. For example, to retrieve two variables named var1 and var2, the command is:



When data is loaded from an ASCII or text file into the workspace it has to be assigned to a variable name. Data in ASCII format can be loaded with either of the following two forms of the load command:

or

 $\operatorname{or}$ 

VarName=load(`file name')

If the data is in a text file, the extension .txt has to be added to the file name. The form of the load command is then:

load file\_name.txt

VarName=load(`file\_name.txt')

## Example

Data shown below is written in a note pad and saved as PumpData.dat Use load command to retrieve data Continued on next slide

600	2
800	6
1000	10
1500	12
2000	14
4000	20
6000	30
8000	40
10000	50
20000	55
30000	57

>> data=load('PumpData.dat') data =

600	2
800	6
1000	10
1500	12
2000	14
4000	20
6000	30
8000	40
10000	50
20000	55
30000	57

Example >> x=0:0.1:0.4  $\mathbf{x} =$ 0 0.1000 0.2000 0.3000 0.4000 >> y=exp(x) $\mathbf{V} =$ 1.0000 1.1052 1.2214 1.3499 1.4918 >> T=[x;y] T =0 0.1000 0.2000 0.3000 0.4000 1.0000 1.1052 1.2214 1.3499 1.4918 >> save TABLE.dat T -ascii

Now let us retrieve this data saved in file named table

>> data=load('TABLE.dat')
data =

0 0.1000 0.2000 0.3000 0.4000 1.0000 1.1052 1.2214 1.3499 1.4918 >>

We can also use Import Wizard to retrieve data Suppose we want to import the data in PumpData.dat file



MPORT VEW     Delimited Column delimiters:   Tab Variable Names Row:     1 Cell Array     MPORT Meror Options     Variable Names Row: 1     Cell Array     MPORT     MPORT     Variable Names Row:     1   Column Vectors   Matrix   Import     Meror Table     Variable Names Row:     1   Column Vectors   Import   Selection     Meror Table     Maria     Matrix   Import   Selection     Matrix   Import   Selection     Meror Table     Meror Table     Veriable Names   Number   Veriable Names   Number   Number <t< th=""></t<>
Bab       Kallye:       P1:B12       Matrix       UNIMPORTABLE CELLS       Import         Prime       SELECTION       Import       Selection       Import         DELIMITERS       SELECTION       IMPORTED DATA       Import         VarName1       VarName2       NUMBER       NUMBER       NUMBER         NUMBER       NUMBER       NUMBER       Import         1       600       2       2       800       6         3       1000       10       12       1500       12         5       2000       14       6       4000       20         7       6000       30       8       8000       40         9       10000       55       11       30000       57
PumpData.dat       ×         A       B         VarName1 VarName2         NUMBER       NUMBER         I       600       2         2       800       6         3       1000       10         4       1500       12         5       2000       14         6       4000       20         7       6000       30         8       8000       40         9       10000       50         10       20000       55         11       30000       57
A       B         VarName1 VarName2         NUMBER       NUMBER         I       600       2         2       800       6         3       1000       10         4       1500       12         5       2000       14         6       4000       20         7       6000       30         8       8000       40         9       10000       50         10       20000       55         11       30000       57
VarName:       VarName:         NUMBER       NUMBER         NUMBER       NUMBER         1       600       2         2       800       6         3       1000       10         4       1500       12         5       2000       14         6       4000       20         7       6000       30         8       8000       40         9       10000       55         10       20000       55         11       30000       57

#### STEPS IN ENGINEERING PROBLEM SOLVING

- 1. Understand the purpose of the problem.
- Collect the known information. Realize that some of it might later be found unnecessary.
- 3. Determine what information you must find.
- Simplify the problem only enough to obtain the required information. State any assumptions you make.
- 5. Draw a sketch and label any necessary variables.
- 6. Determine which fundamental principles are applicable.
- Think generally about your proposed solution approach and consider other approaches before proceeding with the details.
- **8.** Label each step in the solution process.
- **9.** If you solve the problem with a program, hand check the results using a simple version of the problem. Checking the dimensions and units and printing the results of intermediate steps in the calculation sequence can uncover mistakes.
- 10. Perform a "reality check" on your answer. Does it make sense? Estimate the range of the expected result and compare it with your answer. Do not state the answer with greater precision than is justified by any of the following:
  - (a) The precision of the given information.
  - (b) The simplifying assumptions.
  - (c) The requirements of the problem.

Interpret the mathematics. If the mathematics produces multiple answers, do not discard some of them without considering what they mean. The mathematics might be trying to tell you something, and you might miss an opportunity to discover more about the problem.

## GETTING HELP

help	On-line help.
	help lists all the primary help topics.
	help <command/> displays information about the command.
doc	On-line help hypertext reference manual.
	doc accesses the manual.
	doc <command/> displays information about the command.
helpbrowser	Accesses the main page of the on-line reference manual.
type <command/>	Displays the actual MATLAB code for this command.
lookfor <keyword></keyword>	Searches all MATLAB commands for this keyword.
who	Lists all the current variables.
whos	Lists all the current variables in more detail than who.
demo	Runs demonstrations of many of the capabilities of MATLAB.
save	Saves all of your variables.
load	Loads back all of the variables which have been saved previously.
^C	Abort the command which is currently executing (i.e., hold down the control
	key and type "c").

#### diary

Diary command saves your input to MATLAB and most of the output to disk. This command toggles diary on and off. (If no file is given, it is saved to the file diary in the current directory.) diary on turns the diary on. diary off turns the diary off.

## Homework 2

The wind chill temperature,  $T_{wc}$ , is the air temperature felt on exposed skin due to wind. In U.S. customary units it is calculated by:

 $T_{wc} = 35.74 + 0.6215 T - 35.75 v^{0.16} + 0.4275 T v^{0.16}$ 

where T is the temperature in degrees F, and v is the wind speed in mi/h. Write a MATLAB program in a script file that displays the following chart of wind chill temperature for given air temperature and wind speed in the Command Window:

Temperature (F)									
	40	30	20	10	0	-10	-20	-30	-40
Speed									
(mi/h)									
10	34	21	9	-4	-16	-28	-41	-53	-66
20	30	17	4	-9	-22	-35	-48	-61	-74
30	28	15	1	-12	-26	-39	-53	-67	-80
40	27	13	-1	-15	-29	-43	-57	-71	-84
50	26	12	-3	-17	-31	-45	-60	-74	-88
60	25	10	-4	-19	-33	-48	-62	-76	-91



The variation of vapor pressure p (in units of mm Hg) of benzene with temperature in the range of  $0 \le T \le 42$  °C can be modeled with the equation (<u>Handbook of Chemistry and Physics</u>, CRC Press)

$$\log_{10} p = b - \frac{0.05223a}{T}$$

where a = 34172 and b = 7.9622 are material constants and *T* is absolute temperature (K). Write a program in a script file that calculates the pressure for various temperatures. The program should create a vector of temperatures from  $T = 0^{\circ}$  C to  $T = 42^{\circ}$ <sup>o</sup>C with increments of 2 degrees, and display a two-column table *p* and *T*, where the first column temperatures in °C, and the second column the corresponding pressures in mm Hg.



For many gases the temperature dependence of the heat capacity  $C_p$  of can be described in terms of a cubic equation:

$$C_p = a + bT + cT^2 + dT^3$$

The following table gives the coefficients of the cubic equation for four gases.  $C_p$  is in joules/(g mol)(°C) and T is in °C.

Gas	a	Ь	С	d
SO <sub>2</sub>	38.91	$3.904\times10^{-2}$	$-3.105\times10^{-5}$	$8.606\times10^{-9}$
SO3	48.50	$\textbf{9.188}\times\textbf{10}^{-2}$	$-8.540\times10^{-5}$	$32.40\times10^{-9}$
0 <sub>2</sub>	29.10	$\boldsymbol{1.158\times 10^{-2}}$	$-0.6076  imes 10^{-5}$	$1.311\times10^{-9}$
N <sub>2</sub>	29.00	$0.2199\times\mathbf{10^{-2}}$	$-0.5723  imes 10^{-5}$	$-2.871\times10^{-9}$

Calculate the heat capacity for each gas at temperatures ranging between 200 and 400 °C at 20 °C increments. To present the results, create an  $11 \times 5$  matrix where the first column is the temperature, and the second through fifth columns are the heat capacities of SO<sub>2</sub>, SO<sub>3</sub>, O<sub>2</sub>, and N<sub>2</sub>, respectively.